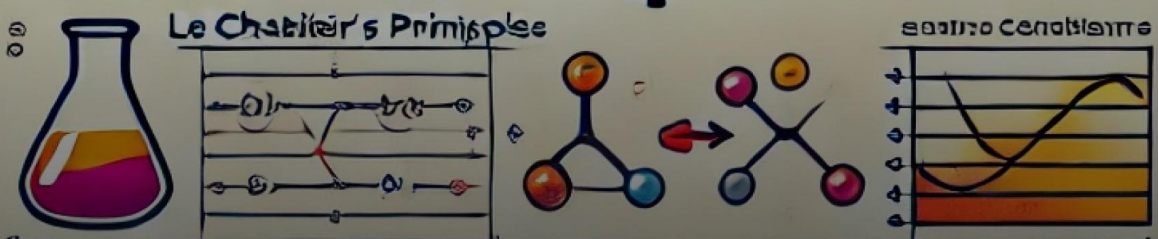


# Chemical Equilibrium



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- ① Conceptual Approach of Equilibrium
- ② Numerical approach of  $K_c$  and  $K_p$ .
- ③ Applications of  $K_c$  and  $K_p$ ; Relation between  $K_c$  and  $\Delta G$ .
- ④ Le-Chatelier principle theoretical questions.

• Based on the direction:

① Irreversible reaction.

- Chemical rxn: Reactants directly converted to products.  
Means: product can't be converted back to reactants.

a) process only in one direction.

b) Generally open vessel.

c) Equilibrium concept not applicable.

d) Reaction completed ( $R \rightarrow P$ ) 100%.

ex: All ionic rxn, All Neutralisation, All ppt reactions.

- ①  $BaO_2 + H_2SO_4 \rightarrow H_2O_2 + BaSO_4$  (Ionic)
- ②  $2NaCl + H_2SO_4 \rightarrow Na_2SO_4 + 2HCl$  (Ionic)
- ③  $NaOH + HCl \rightarrow NaCl + H_2O$  (Neu)
- ④  $AgNO_3 + NaCl \rightarrow AgCl \downarrow + NaNO_3$  (ppt)

② Reversible reaction

Chemical rxn: Takes place from both sides.

i.e. Reactants converted to products

products also converted to reactants.

a) FR and BR takes place.

b) possible into close vessel.

c) Equilibrium concept — meant for Rev. rxn.

d) Reaction never be completed.

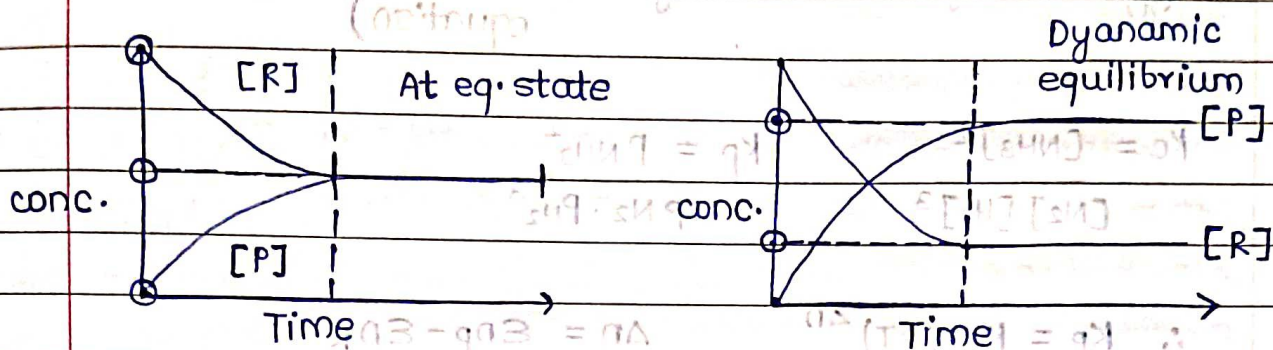
Means: continue process of  $R \rightleftharpoons P$

i.e. In a vessel R and P both are present.



• Equilibrium state :

- ① The stage at which constant conc. R and P.
- ② The stage at which  $\lambda_{FR} = \lambda_{BR}$



• Characteristics of equilibrium :

- ① conc. of R and P  $\rightarrow$  always constant
- ②  $\lambda_{FR} = \lambda_{BR}$
- ③ No. of moles of Reactant converted to product = same no. of moles of product converted to reactant.
- ④ eq. state is exist  $\rightarrow$  a) when we start with R.  
b) when we start with P.  
c) when we start with both R and P.
- ⑤ If catalyst used eq. state reaches quickly.
- ⑥ All measurable properties [Temp, conc, colour, density etc] can't change at eq. state.

• Law of mass action :

$\downarrow$

Reversible

$\downarrow$

At eq. state

$K_c$  : eq. constant w.r. to conc of R and P

$K_p$  : eq. constant w.r. to partial pressure of R and P.

$$\textcircled{1} K_c = \frac{[\text{Pro}]}{[\text{Reac}]}$$

$$\textcircled{2} K_p = \frac{P_{\text{Pro}}}{P_{\text{Reac}}}$$

$$\bullet K_c = \frac{K_{FR}}{K_{BR}}$$

$$\textcircled{3} K_p = K_c (RT)^{\Delta n}$$

$$\Delta n = \sum n_p - \sum n_r$$

$$\bullet R = 0.0821$$

$$\textcircled{4} \Delta n = -ve ; K_c > K_p$$

$$\Delta n = +ve ; K_p > K_c$$

$$\Delta n = 0 ; K_p = K_c$$

• In heterochemical eq,

$$[\text{Any solid}] = 1 \quad [\text{Any liquid}] = 1$$

$$P_{\text{any solid}} = 1 \quad P_{\text{any liquid}} = 1$$

• Question  $K_c$  and  $K_p$ :

-  $K_c$  depends on

① Temp

② Mode of Representation of Reaction

③ No. of moles of R and P

a) conc. of R/P change  $\longrightarrow$  No change  $K_c$

Moles of R/P change  $\longrightarrow$  change  $K_c$

Mode of Reaction change  $\longrightarrow$  change  $K_c$

b) If Rxn is reversed  $\longrightarrow \frac{1}{K_c}$

c) If Rxn is multiplied by  $n \longrightarrow K_c^n$

d) If Rxn is divided by  $n \longrightarrow K_c^{1/n}$

e) Rxn get by multiple steps  $\longrightarrow K_{C1} : K_{C2} \cdot K_{C3} \cdot K_{C4} \dots$

• Applications of  $K_c$  and  $K_p$ :

• Predict the extent of Reaction :

$$K_c = \frac{[\text{Pro}]}{[\text{Rec}]}$$

$$K_c \propto [\text{Pro}]$$

$$K_c \propto \frac{1}{[\text{Rec}]}$$

- ① If  $K_c > 10^3$  — Towards Forward
- ② If  $K_c < 10^{-3}$  — Towards Backward
- ③ If  $K_c = 10^{-3}$  to  $10^3$  [FR/BR]. —
- ④ If  $K_c = 1$  At eq. state —  $\lambda_{FR} = \lambda_{BR}$

$\lambda_{FR} \neq \lambda_{BR}$

• Predict the direction of reaction :

$K_c$  = eq. constant [used exactly at eq. state]

$Q_c$  = Reaction Quotient [at any state of rxn]

$$K_c = Q_c = \frac{[\text{Pro}]}{[\text{Rec}]}$$

$$K_p = Q_p = \frac{P_{\text{pro}}}{P_{\text{rec}}}$$

- ①  $Q_c < K_c$      $Q_p < K_p$  [Forward] =  $\downarrow$
- ②  $Q_c = K_c$      $Q_p = K_p$  [at eq. state]  $\lambda_{FR} = \lambda_{BR}$
- ③  $Q_c > K_c$      $Q_p > K_p$  [Backward]

• Relation Between  $\Delta G_1$  and  $K_c$  :

$$\Delta G_1 = \Delta G_1^0 + RT \ln Q_c$$

$$\Delta G_1^0 = -RT \ln K_c \quad [\text{at eq. state } \Delta G_1 = 0 \text{ and } Q_c = K_c]$$

$$\Delta G_1^0 = -2.303 RT \log K_c$$

$$\text{③} \quad K_c = e^{-\frac{\Delta G_1^0}{RT}}$$

① For spontaneous —  $\Delta G_1 < 0$   $K_c > 1$   
 For FR  $\Delta G_1 = -ve$

For extent of Rxn  $K_c = \frac{[Pro]}{[Rec]}$

② For non spontaneous —  $\Delta G_1 > 0$   $K_c < 1$   
 For BR  $\Delta G_1 = +ve$

③ At eq. state —  $\Delta G_1 = 0$   $K_c = 1$   
 where  $r_{FR} = r_{BR}$

• Le-chatelier's principle: Predict the direction of reaction.

- If system is at eq. is subjected to stress, disturbance then eq. shift in a direction to reduce the stress and eq. state is regenerated.

① Conc. of R and P  
 $[Rec] \uparrow = FR$   $[Rec] \downarrow = BR$   
 $[Pro] \uparrow = BR$   $[Pro] \downarrow = FR$

② Effect of pressure  
 $P \uparrow$  — eq shift towards n<sub>1</sub> dec side  
 $P \downarrow$  — eq shift towards n<sub>1</sub> inc side

③ Effect of Temp

ENDO —  $T \uparrow = FR$   $T \downarrow = BR$   $\Delta H_1 = +ve$

EXO —  $T \uparrow = BR$   $T \downarrow = FR$   $\Delta H = -ve$

• Addition of catalyst :

FR and BR = move quickly  
 eq. state exist = quickly  
 But it can't explain  
 whether the RXN  $\rightarrow$  FR/BR

• Addition of Inert gas / He / Ne / Ar :

At const V : no effect of eq.

At const P : eq. moves towards more side

① B/L - A/B Theory :

Acid - H+ donor

Base - H+ acceptor

Conjugate acid - add of H+

Conjugate base - Removal of H+

② Lewis A/B Theory :

Add :  $e^-$  pair acceptor

To accept  $e^-$  pair [L.P.] = vacant orbital required.

Base :  $e^-$  pair donor

To donate  $e^-$  pair [L.P.] = L.P. on central atom

of molecule/ion is present

• Lewis Add: Lewis Acid + Lewis Base

• Lewis Base + Lewis Acid